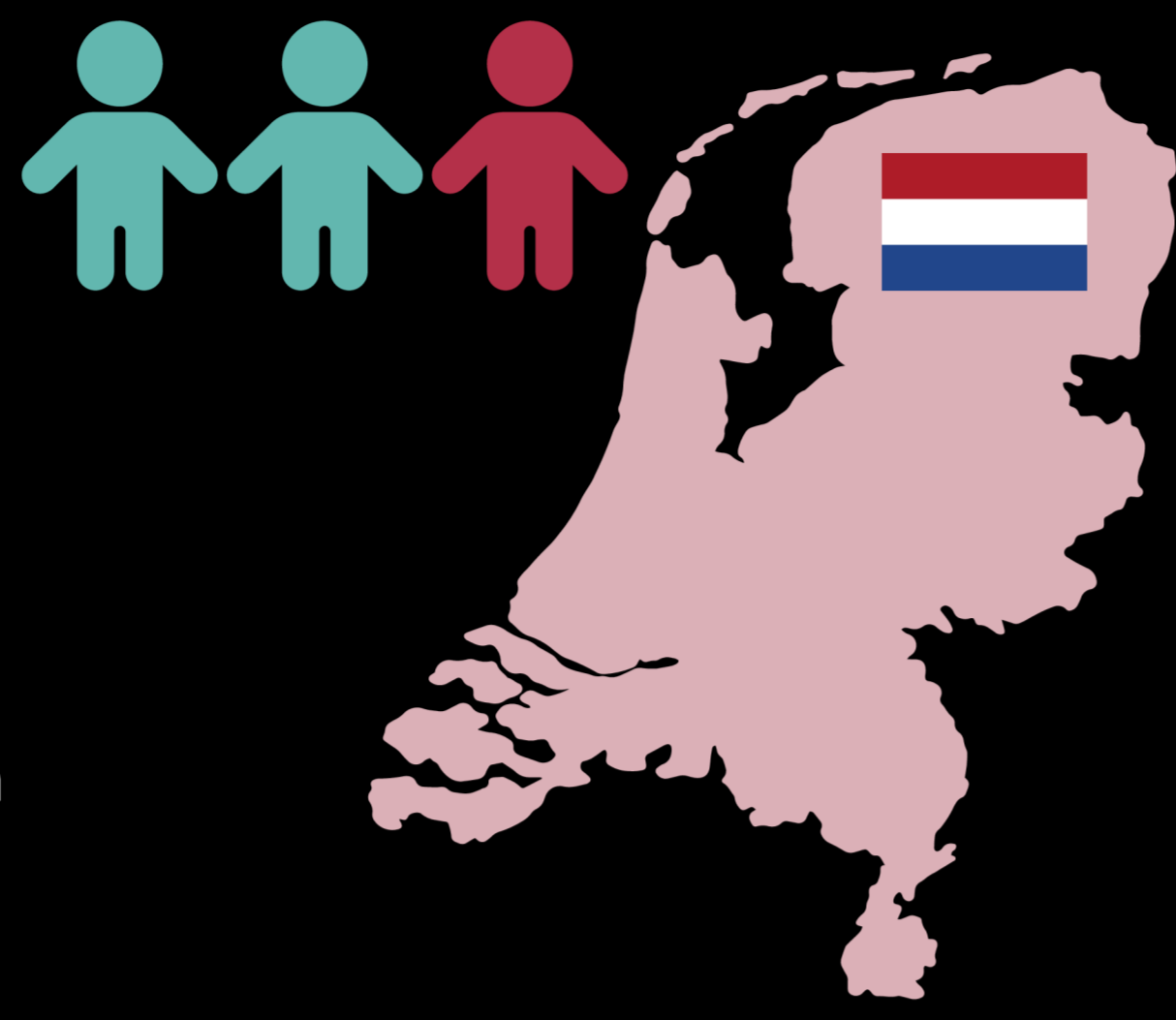


# Agent-Based Modeling of Microbial and Metabolite Interactions in Early Oral Biofilms

Shivam Kumar, Xiaoqing Han, Vivek Sheraton, Susanne Pinto, Huub Hoefsloot

## Introduction

The Netherlands: Approximately one-third (33%) of children aged 5 years already have dental caries.



## Aim

To develop a computational model that simulates oral biofilm formation and enamel demineralization.

## Research Questions

What specific physical and chemical parameters determine the spatial distribution and co-aggregation efficiency of secondary colonizers within a simulated biofilm architecture?

What spatial arrangements of *V. parvula* relative to *S. mutans* maximize synergistic growth and biofilm biomass accumulation?

## Data Analysis

***S. mutans***  
Primary pathogen, produces acid from sugar metabolism and synthesizes EPS

***V. parvula***  
Secondary colonizer, ferments lactate to acetate and propionate

Streptococcus & Veillonella Abundance Comparison (CF vs. SECC)

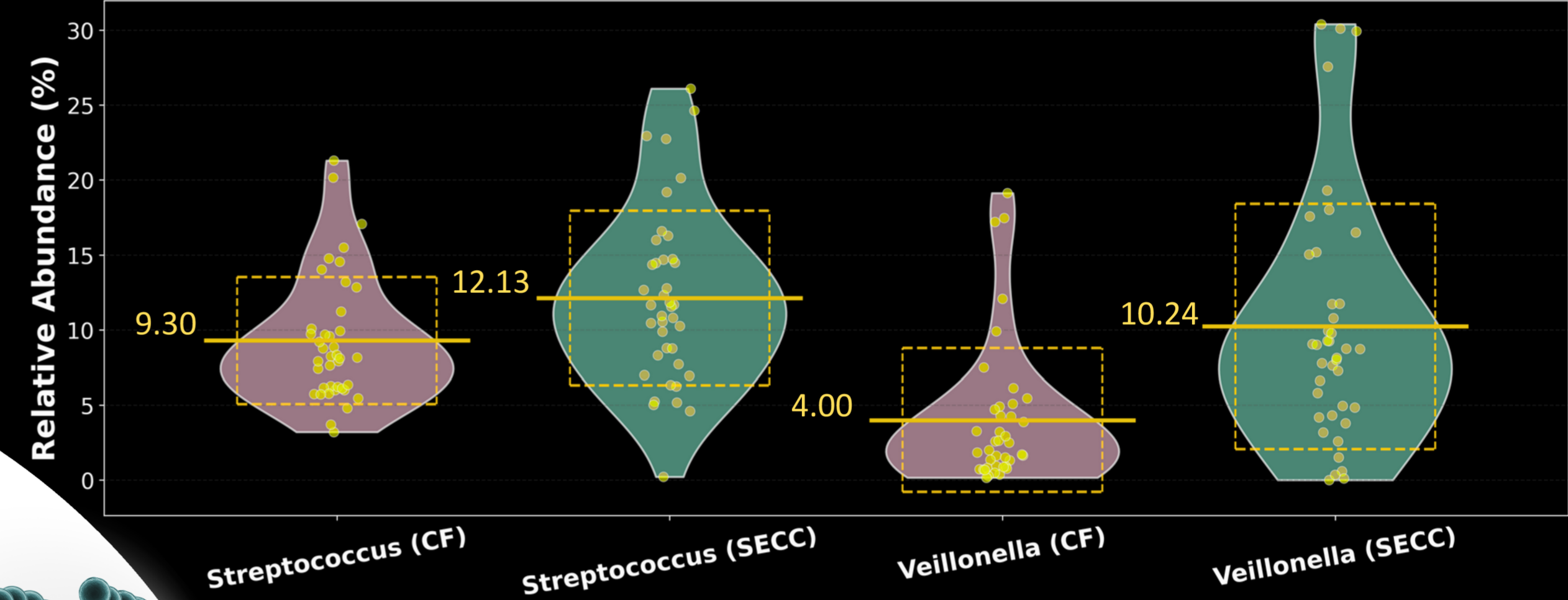
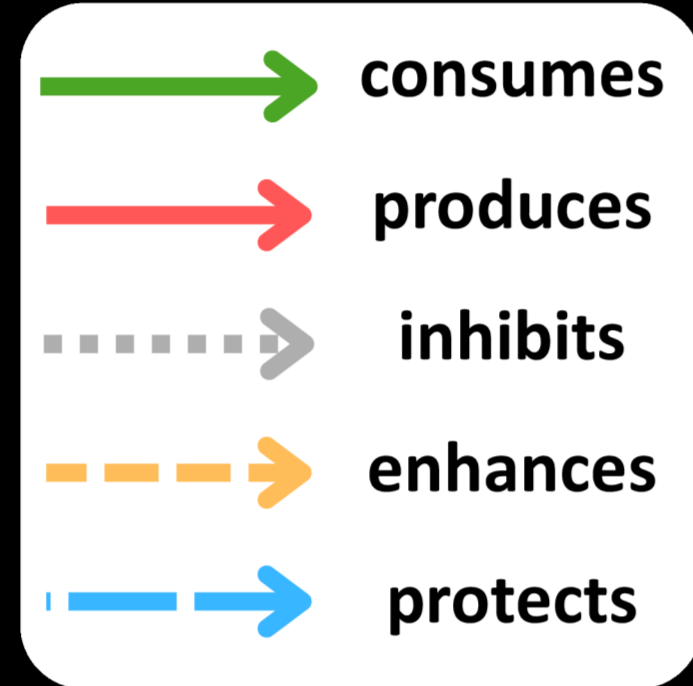
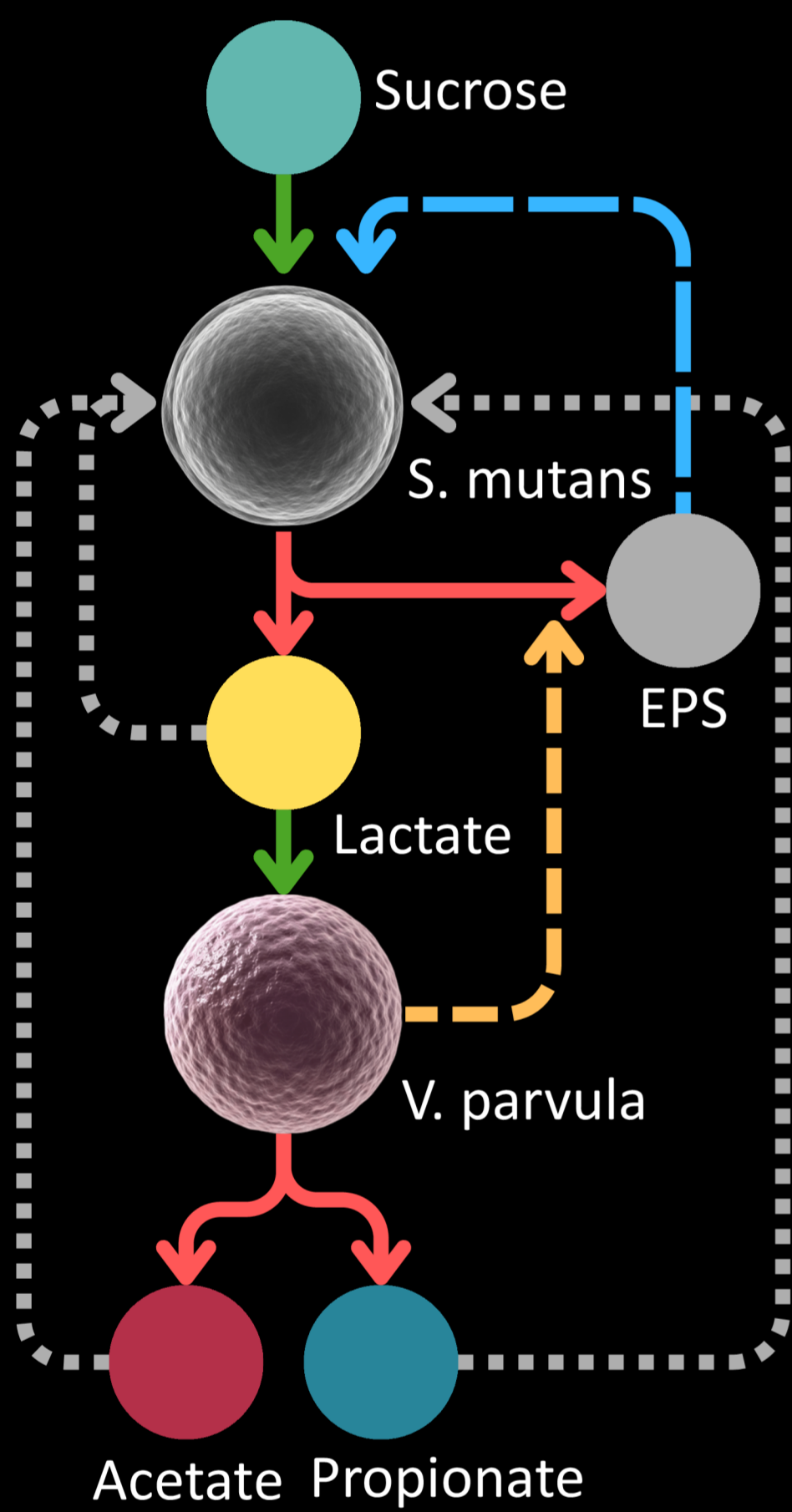


Fig 1. Distribution of Streptococcus and Veillonella relative abundance in microbial samples from Caries Free (CF, pink violins) and Severe Early Childhood Caries (SECC, Viridian violins) cohorts.

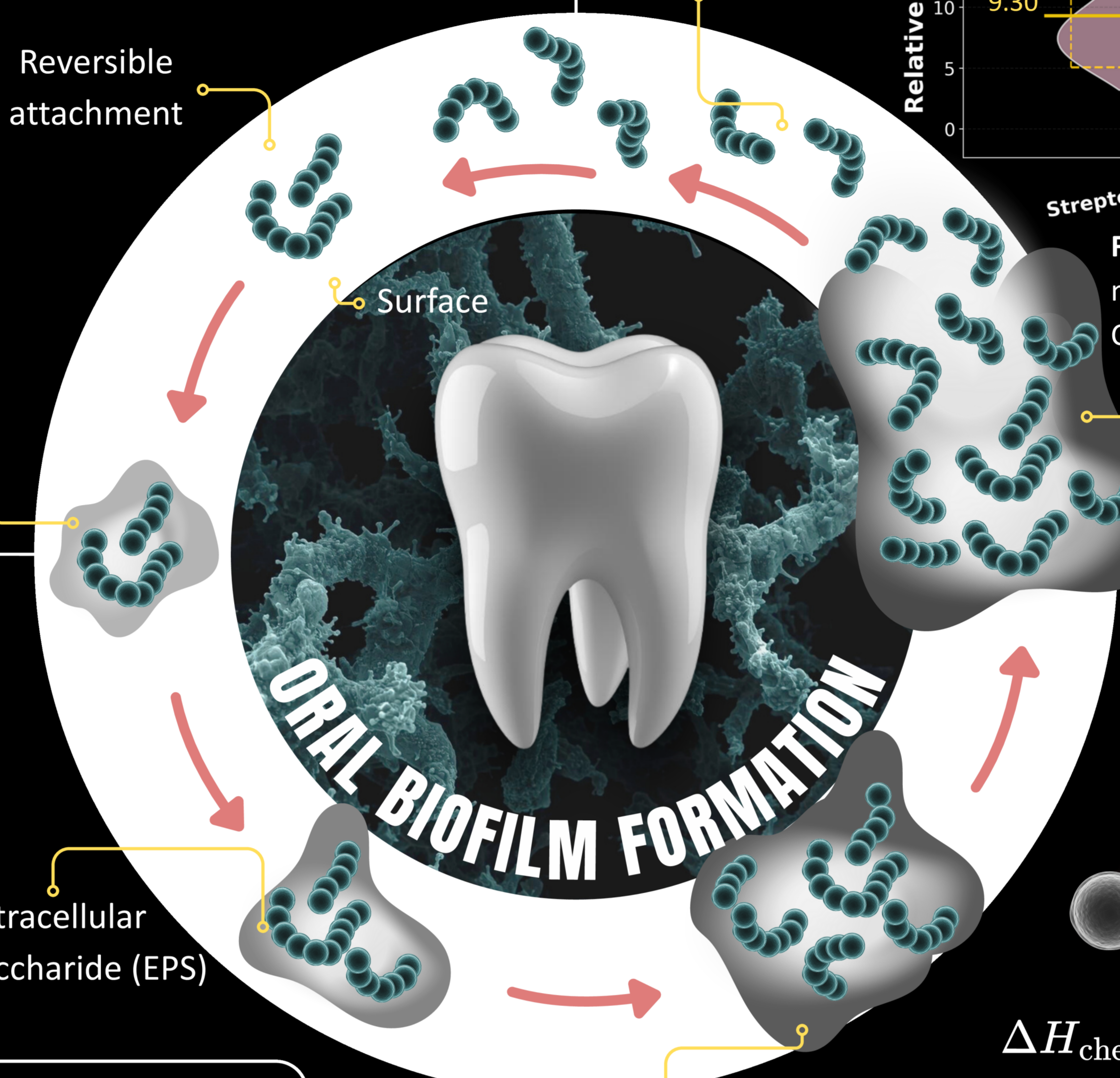
CF Caries Free  
SECC Severe Early childhood caries  
● Individual samples  
— Mean  
- - ±1 SD

## Model

### METABOLIC NETWORK



- Primary source for *S. mutans*
- Primary source for *V. parvula* stronger acid produced by *S. mutans*
- Weaker acids produced by *V. parvula*
- Weaker acids produced by *V. parvula*



## Equations

### Cellular Potts Model (CPM)

Chemotaxis/Movement:  $\Delta H_{\text{chemotaxis}} = -\mu(C_j - C_i)$   
 Volume increase/Cell Growth:  $H_{\text{volume}} = \sum_{\sigma} \lambda_{\sigma}(v_{\sigma} - V_{\sigma})^2$

### Growth Function

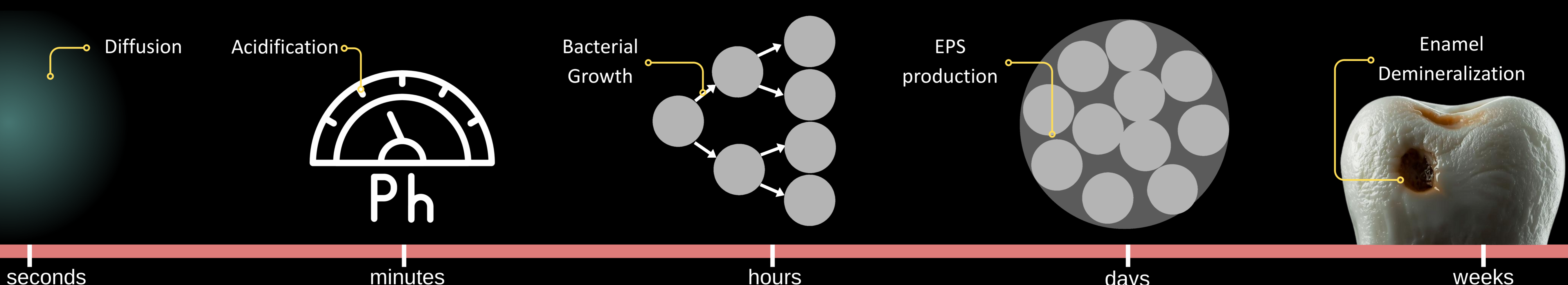
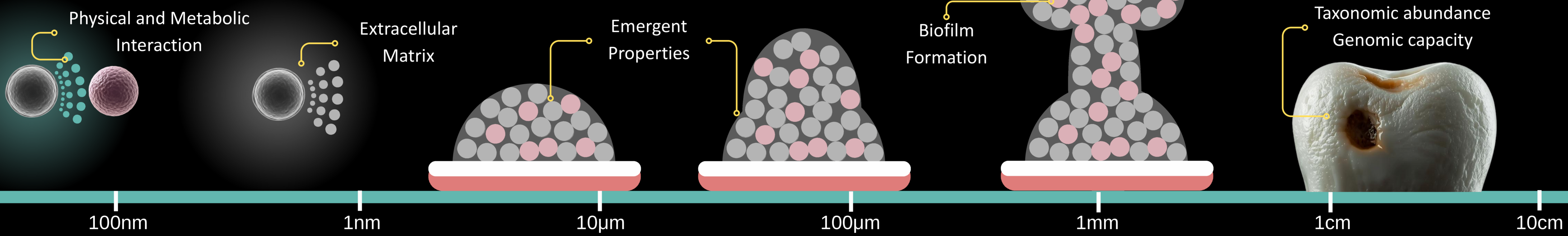
$$\frac{dSM}{dt} = \mu_{\text{max},SM} \frac{Su}{K_{S,SM}^{Su} + Su} \cdot SM \cdot \Phi(La, Ac, Pr) - d_1 SM$$

Growth      Inhibition      Death

### Reaction-Diffusion Equation

$$\frac{\partial La}{\partial t} = D_{La} \nabla^2 La + Y_{La/Su} \cdot \frac{V_{\text{max},SM}^{Su} \cdot Su}{K_{M,SM}^{Su} + Su} \cdot SM - \frac{V_{\text{max},VP}^{La} \cdot La}{K_{M,VP}^{La} + La} \cdot VP - \delta_{La} La$$

Diffusion      Yield      Production      Consumption      Decay



## TEMPORAL SCALE